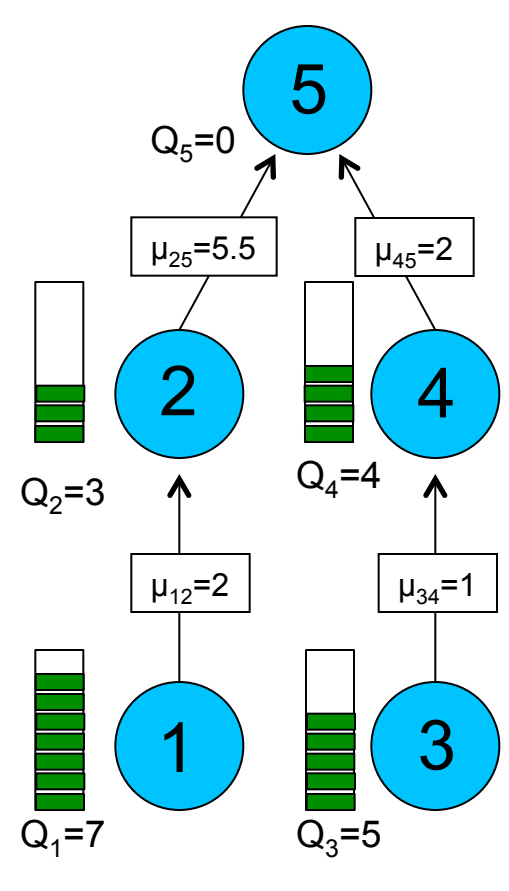


Overview

Example:

Mobile Nodes generate traffic with destination at node 5.



Notation:

Q_i = # packets in queue i
 μ_{ij} = channel rate from i to j

Backpressure Routing:

Choose transmission schedule to maximize:

$$\max_{\mu_{ij}} \sum_{i,j} (Q_i(t) - Q_j(t)) * \mu_{ij}(t)$$

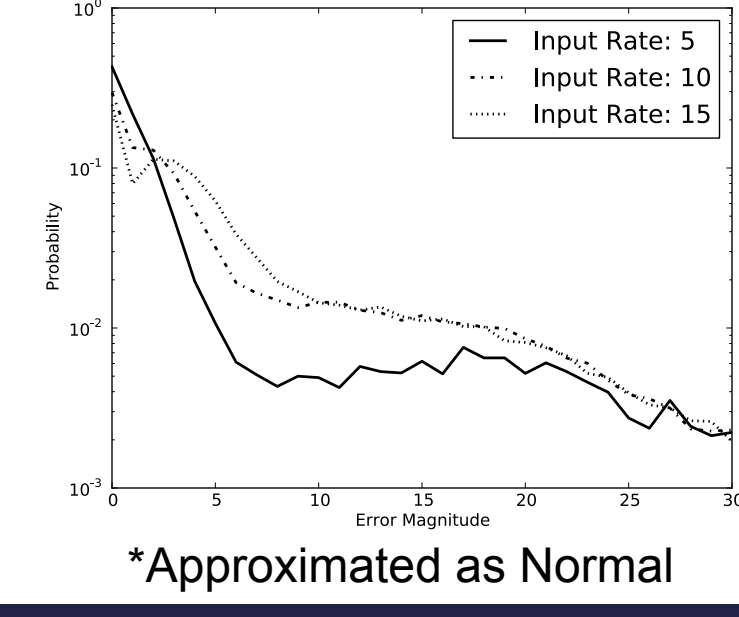
Focus of this Work:

- How do nodes learn each others' queue backlogs and channel rates, a.k.a, *Control Information*?
- What if there are errors in these values?

Disseminating Backlogs

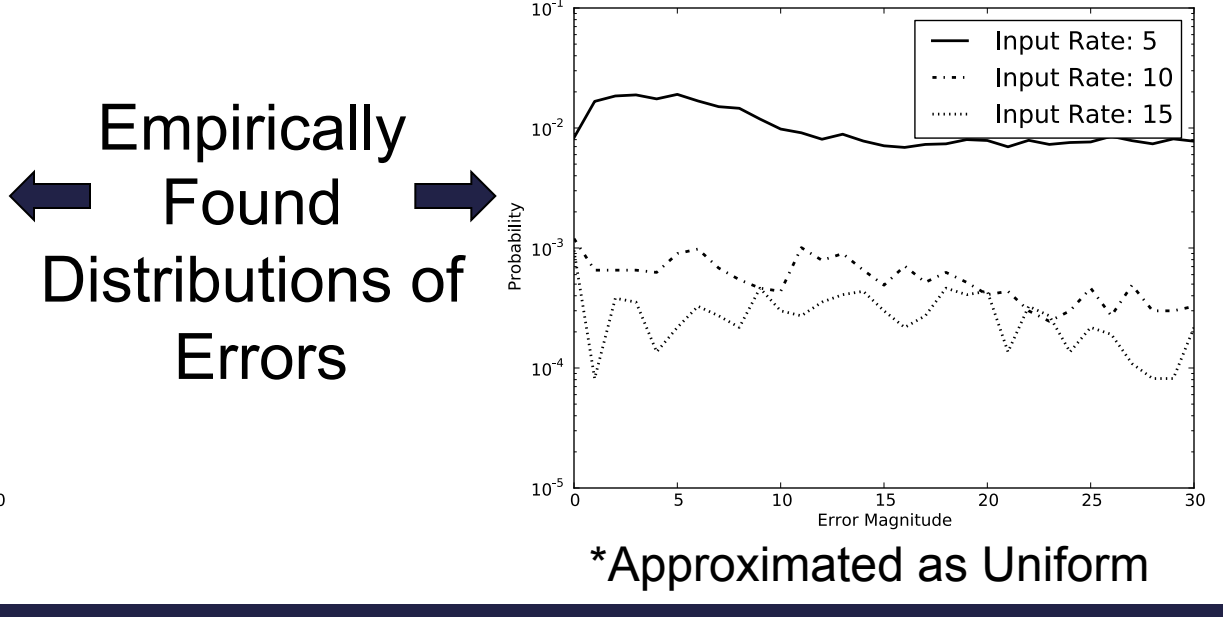
Best Effort Protocol

- Schedule with most current view of network
- Information is most current, but can be Inconsistent



Delayed Information Protocol

- Schedule with view of network $N-1$ time slots old
- Information is old, but will be Consistent

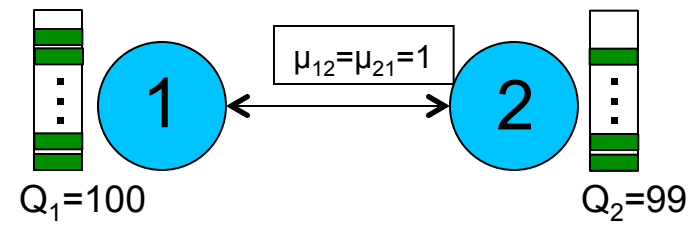


Empirically Found Distributions of Errors

Scheduling with Inconsistent vs. Consistent Information

Motivating Example

Consider 2 nodes in a network:



Optimal Schedule
 Node 1 Trx at μ_{12}
 Node 2 Silent

Inconsistent Errors (Best Effort Protocol):

- Let $e_i^{(j)}$ be the error in Queue i at Node j
- Each node chooses whether or not to transmit based on its view of the network.

Case	$e_1^{(2)}$	$e_2^{(1)}$	Node 1: Q_1, Q_2	Node 2: Q_1, Q_2	Node 1 Result	Node 2 Result	Overall Result
A	1	0	100, 99	101, 99	Trx	Silent	Full Tput
B	-2	2	100, 101	98, 99	Silent	Trx	Full BW
C	-2	0	100, 99	98, 99	Trx	Trx	Collision
D	0	2	100, 101	100, 99	Silent	Silent	Dead Air

Consistent Errors (Delayed Info Protocol):

- Let e_i be the error in Queue i at all nodes
- Each node chooses whether or not to transmit based on the same, possibly erroneous view of the network

Case	e_1	e_2	Node 1: Q_1, Q_2	Node 2: Q_1, Q_2	Node 1 Result	Node 2 Result	Overall Result
A	2	0	102, 99	102, 99	Trx	Silent	Full Tput
B	0	2	100, 101	100, 101	Silent	Trx	Full BW

Probability of Outcomes

Inconsistent Information:

- Using Normal RV with standard deviation, E_{StdDev}
- CDF of error becomes:

$$F_{e_i^{(j)}}(x) = \Phi\left(\frac{x}{E_{StdDev}}\right)$$

Probability of each case

$$P(\text{Case A}) = (1 - \Phi\left(\frac{-Q_{diff}}{E_{StdDev}}\right)) * \Phi\left(\frac{Q_{diff}}{E_{StdDev}}\right)$$

$$P(\text{Case B}) = \Phi\left(\frac{Q_{diff}}{E_{StdDev}}\right) * (1 - \Phi\left(\frac{Q_{diff}}{E_{StdDev}}\right))$$

$$P(\text{Case C}) = \Phi\left(\frac{-Q_{diff}}{E_{StdDev}}\right) * \Phi\left(\frac{-Q_{diff}}{E_{StdDev}}\right)$$

$$P(\text{Case D}) = (1 - \Phi\left(\frac{-Q_{diff}}{E_{StdDev}}\right)) * (1 - \Phi\left(\frac{Q_{diff}}{E_{StdDev}}\right))$$

Consistent Information:

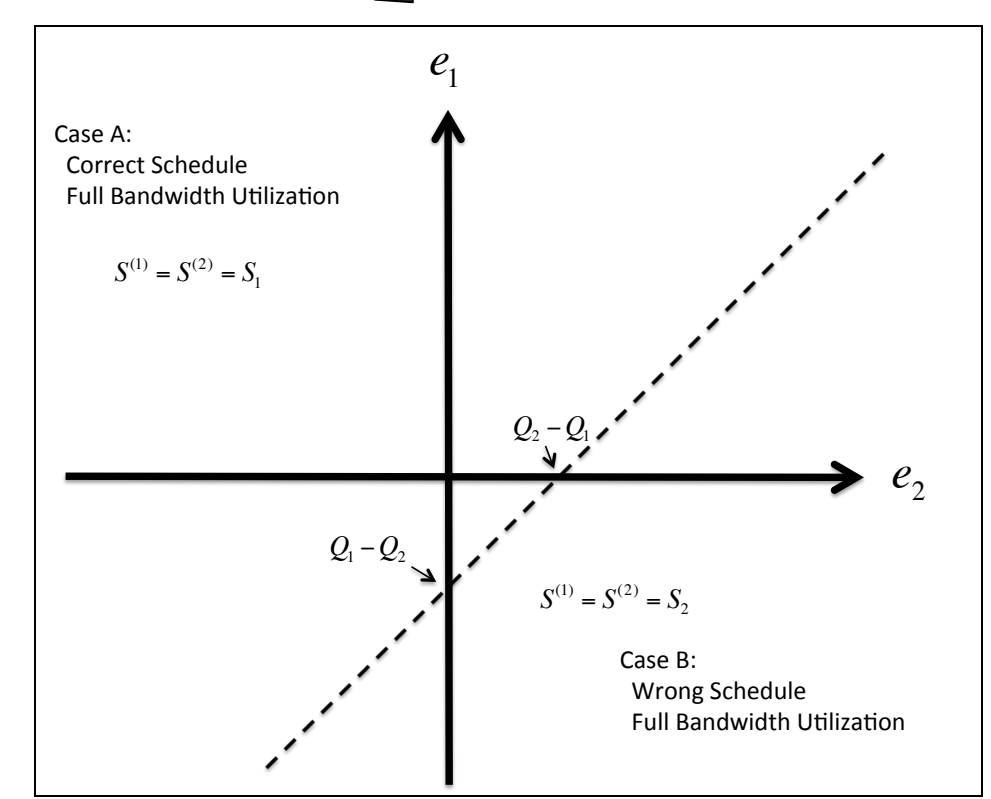
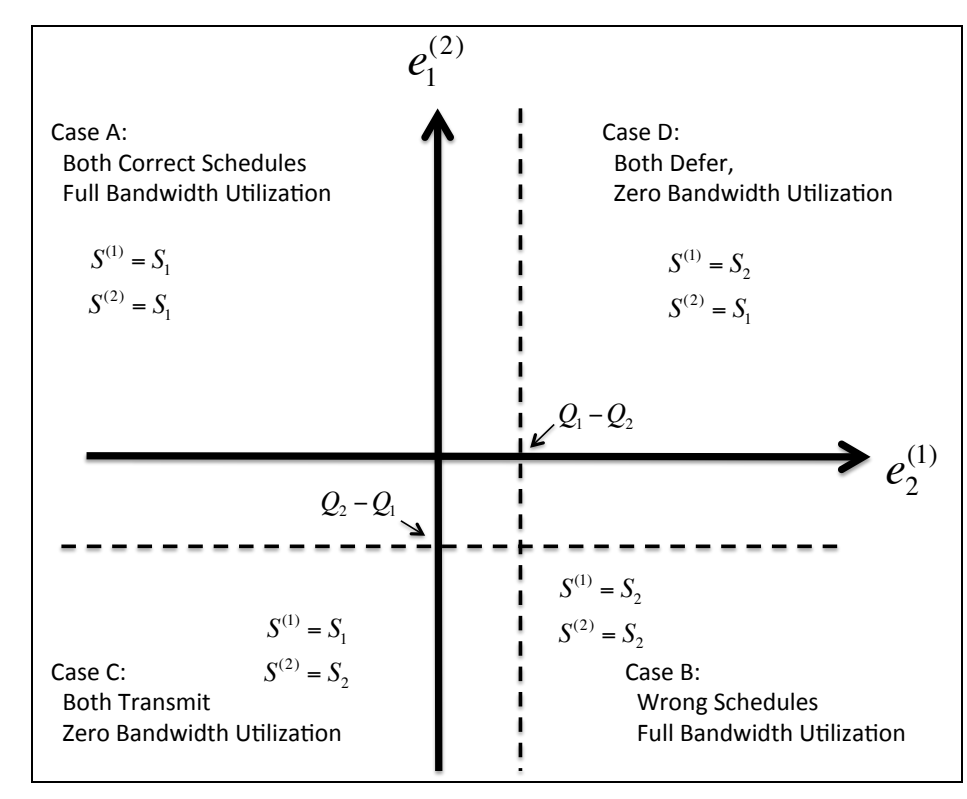
- Using Uniform RV with maximum error, E_{max}
- CDF of error becomes:

$$F_{e_1 - e_2}(x) = \begin{cases} 0 & x < -2E_{max} \\ \frac{(2E_{max} + x)^2}{8E_{max}^2} & -2E_{max} < x < 0 \\ 1 - \frac{(2E_{max} - x)^2}{8E_{max}^2} & 0 < x < 2E_{max} \\ 1 & x > 2E_{max} \end{cases}$$

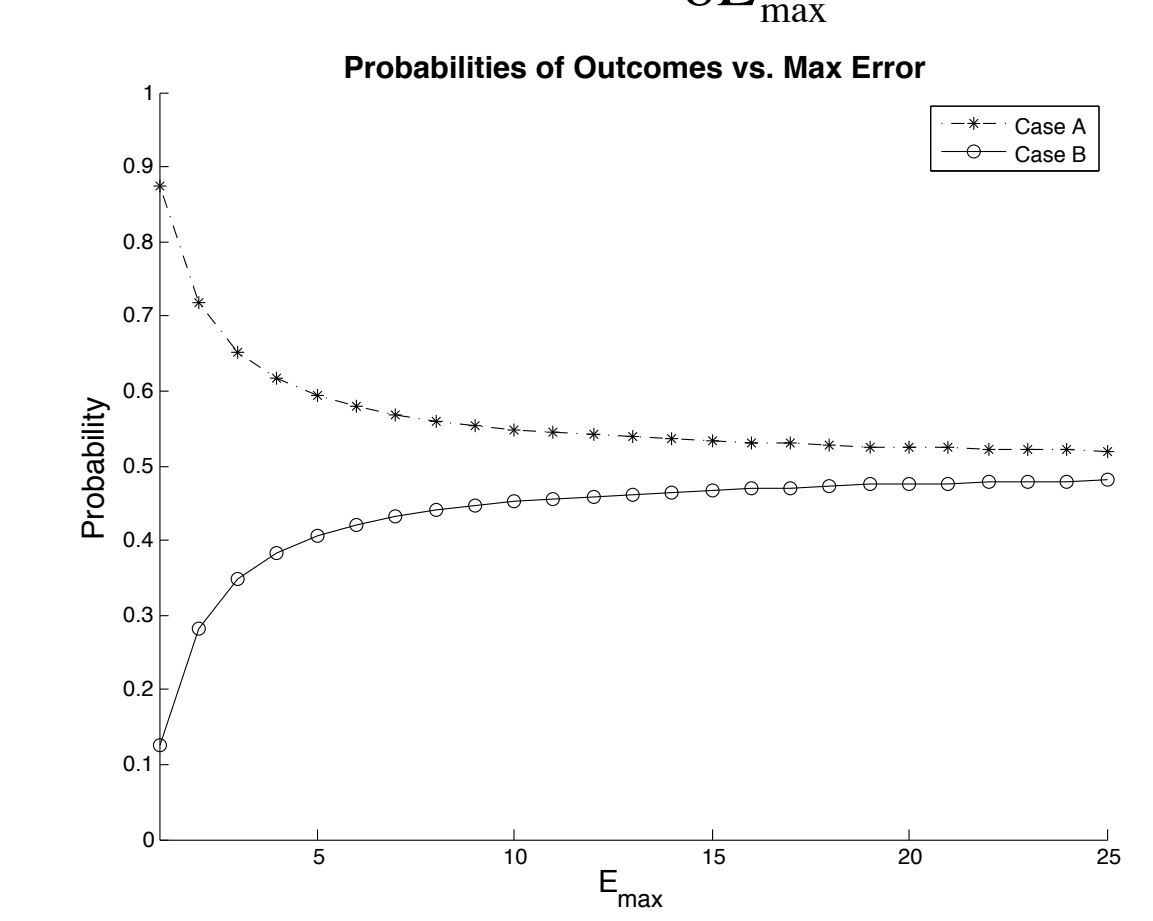
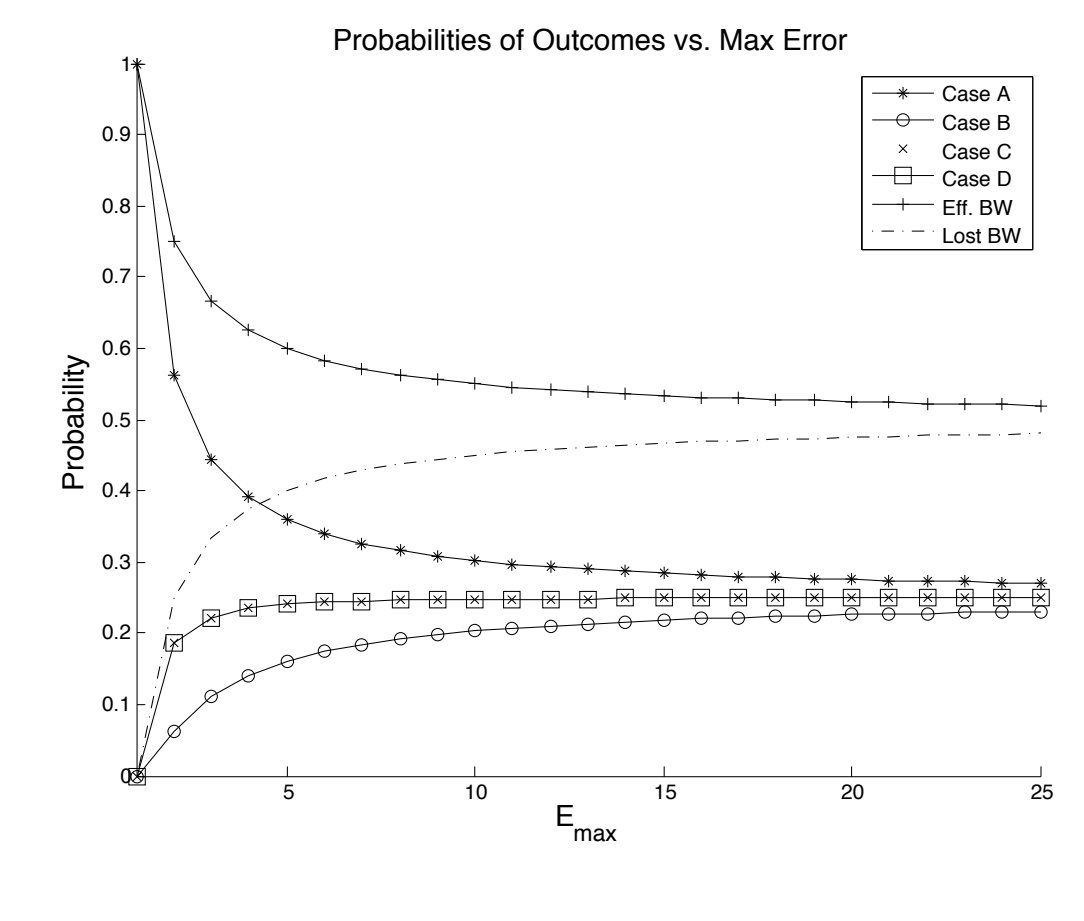
Probability of each case

$$P(\text{Case A}) = 1 - \frac{(2E_{max} - Q_{diff})^2}{8E_{max}^2}$$

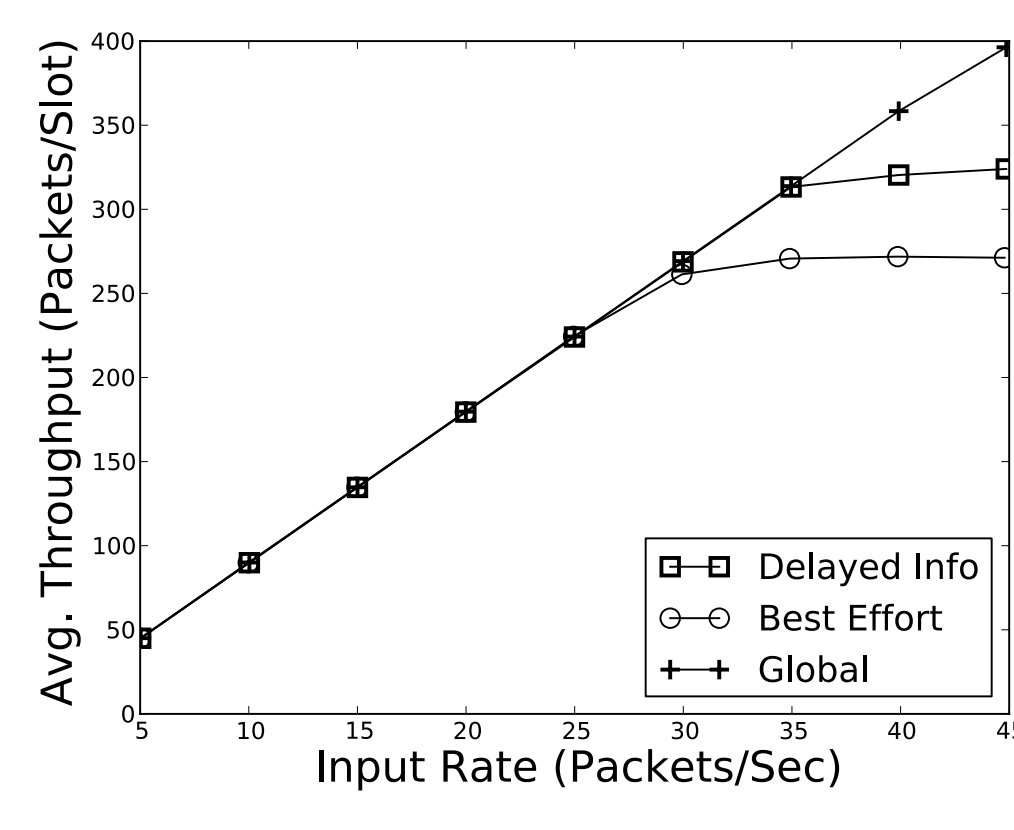
$$P(\text{Case B}) = \frac{(2E_{max} - Q_{diff})^2}{8E_{max}^2}$$



Takeaway: Using Consistent Information results in zero collisions or dead air = full utilization of bandwidth



Experimental Results



Result 1: No wasted bandwidth means higher network capacity for Delayed Info

Result 2: Impact of errors diminishes with magnitude

