

## Marginal Effects of Femtocells in Cellular Networks Michael Lin, Tom La Porta



Femtocells challenge traditional base station planning and management by giving end-users the ability to deploy lowpower base stations in their homes without coordinating with service providers. Femtocells operate in the same frequency bands as operated-managed macrocells, which creates *cross-tier interference* between femtocells and macrocells. We model a high-density femtocell deployment using stochastic geometry to understand two problems:

• What density and spatial configuration of femtocells,  $\lambda_f$  and  $\Phi_f$ , in a fixed area will lead to a high probability of outage for non-femtocell users, thereby leading to an overall *reduction* in network capacity?

• What centralized auto-configuration or deployment policies can prevent this from happening?

## **Deployment Scenario**

- High-density femtocell deployment
- Closed or open access policies
- Frequency re-use:
  - CDMA systems are interference-limited
  - Cross-tier interference between the macrocell and femtocells
  - Co-tier interference amongst femtocells





- Mobiles connect to either a femtocell or the macrocell, but not both
- Handovers between macrocell and femtocells are possible

## Network Model

- Macrocell at origin, M<sub>0</sub>; we assume the entire unit square is covered by the macrocell
- Path loss function, l(r) with indoor/outdoor path loss exponents  $\alpha, \beta$
- Femtocells distributed via a spatial Poisson process,  $\Phi_f$ , with intensity  $\lambda_f$
- Mobiles distributed via a spatial Poisson process,  $\Psi_m$ , with intensity  $\lambda_m$
- Macrocell and femtocell transmit powers,  $P_M$  and  $P_{\phi_i}$ ,  $i = 0, 1, \ldots$
- Additive white Gaussian noise, GWe are interested in determining the signal-to-noiseplus-interference ratio  $\xi_{\pi}$  for mobiles at point  $\pi$  connected





to the macrocell or a femtocell,  $\psi_{M,\pi}, \psi_{\phi_i,\pi}$ .

$$\xi_{\psi_M}^{\pi} = \frac{P_M / l(|\pi - 0|)}{\sum_{i \in \Phi_f} P_{\phi_i} + G}$$

$$\xi_{\psi_{\phi_i}}^{\pi} = \frac{P_{\phi_i}/l(|\pi - \phi_i|)}{P_M + \sum_{j \in \Phi_f, j \neq i} P_{\phi_j} + G}$$
  
Then the probability of outage at  $\pi$  is:

$$P(\xi^{\pi} \le t)$$



We are continuing to develop our model and running system-level simulations to characterize the impact of femtocell density on outage and handover probabilities.